powered

## DM550/DM857 Introduction to Programming

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## Project Qualification Assessment

- first assessment on Monday, September 18, I2:I5-14:00
- 3 assessments in total
- sum of points from all 3 assessments at least $50 \%$ of total
- in class assessment using your own computer
- please test BEFORE next Monday!
- Blackboard multiple choice
- Magic numbers generated using online python version at: http://lynx.imada.sdu.dk/


## Code Café

- manned Code Cafe for students
- first time Wednesday, September 6

CODE CAFE


- last time Wednesday, December 20
- closed in Week 42 (efterårsferie)
- Mondays, I5.00-17.00, Nicky Cordua Mattsson
- Wednesdays, I 5.00 - I7.00, Troels Risum Vigsøe Frimer
- Nicky and Troels can help with any coding related issues
- issues have to be related to some IMADA course (fx this one)


## GETTING YOUR HANDS DIRTY

## Accessing Web Services

- any http URL can be retrieved using the requests module
- install using: pip3 install requests
- easy access to standard HTTP requests such as GET, POST, ...
- Retrieve a web:
import requests
requests.get("http://www.sdu.dk/")
- Access a web service:
url="http://lynx.imada.sdu.dk/osrm/route/v1/driving/-73,40;-73,40.1" print(requests.get(url).json()["routes"][0])


## Jelling Stones to Little Mermaid

import requests

```
db = "http://dbpedia.org/"
stones = "Jelling_stones"
mermaid = "The_Little_Mermaid_(statue)"
```

stones = requests.get(db+"data/"+stones+".json").json()[db+"resource/"+stones]
mermaid = requests.get(db+"data/"+mermaid+".json").json()[db+"resource/"+mermaid]
stones_long = str(stones["http://www.w3.org/2003/0I/geo/wgs84_pos\#long"][0]["value"])
stones_lat = str(stones["http://www.w3.org/2003/0l/geo/wgs84_pos\#lat"][0]["value"])
mermaid_long = str(mermaid["http://www.w3.org/2003/0l/geo/wgs84_pos\#long"][0]["value"])
mermaid_lat = str(mermaid["http://www.w3.org/2003/0l/geo/wgs84_pos\#lat"][0]["value"])
url = "http://lynx.imada.sdu.dk/osrm/route/vl/driving/"
res = requests.get(url+stones_long+","+stones_lat+";"+mermaid_long+","+mermaid_lat).json()
print(res["routes"][0]["distance"])

## CONDITIONAL EXECUTION

## Boolean Expressions

- expressions whose value is either True or False
- logic operators for computing with Boolean values:
- $x$ and $y \quad$ True if, and only if, $x$ is True and $y$ is True
- $x$ or $y \quad$ True if at least one of $x$ and $y$ is True
- not $x \quad$ True if, and only if, $x$ is False
- Python also treats numbers as Boolean expressions:
- 0

False

- any other number

True

- Please, do NOT use this feature!


## Relational Operators

- relational operators are operators, whose value is Boolean
- important relational operators are:

|  | Example True | Example False |
| :--- | :--- | :--- |
| " $x<y$ | $23<42$ | "World" < "Hej!" |
| - $x<=y$ | $42<=42.0$ | int(math.pi) <= 2 |
| - $x==y$ | $42==42.0$ | type(2) == type(2.0) |
| - $x>=y$ | $42>=42$ | "Hej!" $>=$ "Hello" |
| - $x>y$ | "World" $>$ "Hej!" | $42>42$ |

" remember to use"==" instead of "=" (assignment)!

## Conditional Execution

- the if-then statement executes code only if a condition holds
- grammar rule:

$$
\begin{aligned}
\text { <if-then> } \quad=>\quad \text { if }<\text { cond }>: \\
\quad<\text { instr }_{1}>; \ldots ; \text { instr }_{k}>
\end{aligned}
$$

- Example:
answer")
if $x<=42$ :
print("not more than the

$$
\begin{aligned}
& \text { if } x>42: \\
& \quad \text { print("sorry - too much!") }
\end{aligned}
$$

## Control Flow Graph

- Example:
if $x<=42$ :
print("not more than the
answer")
if $x>42$ :
print("sorry - too much!")
$x<=42 \quad$ True print('not more ...")
False print ("sorry - too ...")
False


## Alternative Execution

- the if-then-else statement executes one of two code blocks
- grammar rule:
<if-then-else> => if <cond>:

$$
<\text { instr }_{1}>; \ldots ;<\text { instr }_{k}>
$$

else:

$$
\text { <instr',>; ...; <instr, }{ }_{\mathrm{k}}>
$$

- Example:
if $x<=42$ :
print("not more than the
answer")
else:
print("sorry - too much!")


## Control Flow Graph

- Example:
if $x<=42$ :
print("not more than the
answer")



## Chained Conditionals

- alternative execution a special case of chained conditionals
- grammar rules:
 elif $\left\langle\right.$ cond $\left._{2}\right\rangle$ :
else:

$$
<\text { instr }_{1, \mathrm{~m}}>; \ldots ;<\text { instr }_{\mathrm{km}, \mathrm{~m}}>
$$

- Example:

| if $x>0:$ | print("positive") |
| :--- | :--- |
| elif $x<0:$ | print("negative") |
| else: | print("zero") |

## Control Flow Diagram

- Example:

$$
\begin{array}{ll}
\text { if } x>0: & \text { print("positive") } \\
\text { elif } x<0: & \text { print("negative") } \\
\text { else: } & \text { print("zero") }
\end{array}
$$



## Nested Conditionals

- conditionals can be nested below conditionals:

```
x = float(input())
y = float(input())
if x>0
    if y>0:
        elif y < 0:
        else:
elif x<0:
    if y>0:
    elif y < 0:
    else:
```

elif $x<0$ :
if $\mathrm{y}>0$ :
elif $\mathrm{y}<0$ :
else:
print("Quadrant I") print("Quadrant 4") print("positive x-Axis")

```
print("Quadrant 2")
print("Quadrant 3")
print("negative x-Axis")
else: print("y-Axis")
```


## RECURSION

## Recursion

- a function can call other functions
- a function can call itself
- such a function is called a recursive function
- Example I:
def countdown(n):

$$
\text { if } \mathrm{n}<=0 \text { : }
$$

print("Ka-Boooom!")
else:

$$
\begin{aligned}
& \text { print(n, "seconds left!") } \\
& \text { countdown(n-I) }
\end{aligned}
$$

countdown(3)

## Stack Diagrams for Recursion



## Recursion

- a function can call other functions
- a function can call itself
- such a function is called a recursive function
- Example 2 :
def polyline( $\mathrm{t}, \mathrm{n}$, length, angle): for i in range( n ):
t.fd(length)
t.lt(angle)


## Recursion

- a function can call other functions
- a function can call itself
- such a function is called a recursive function
- Example 2 :
def polyline( t , n , length, angle): if $n>0$ :
t.fd(length)
t.lt(angle)
polyline( $\mathrm{t}, \mathrm{n}$ - I, length, angle)


## Infinite Recursion

- base case $=$ no recursive function call reached
- we say the function call terminates
- Example I: $\mathrm{n}==0$ in countdown / polyline
- infinite recursion $=$ no base case is reached
- also called non-termination
- Example: def infinitely_often(): infinitely_often()
- Python has recursion limit I000 - ask sys.getrecursionlimit()


## Keyboard Input

- so far we only know input()
- what happens when we enter Hello?
- what happens when we enter 42?
- the input function can take one optional argument prompt
- Example I: a = float(input("first side: "))
- Example 2: name = input("Your name:\n")
- "In" denotes a new line: print("Hello\nWorldln!")


## Debugging using Tracebacks

- error messages in Python give important information:
- where did the error occur?
- what kind of error occurred?
- unfortunately often hard to localize real problem
- Example:



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- what kind of error occurred?
- unfortunately often hard to localize real problem
- Example:

```
def determine_vat(base_price, vat_price):
    factor = base_price / vat_price
    reverse_factor = | / factor
    return reverse_factor - I
print(determine_vat(400, 500))
```


## FRUITFUL FUNCTIONS

## Return Values

- so far we have seen only functions with one or no return
- sometimes more than one return makes sense
- Example I:

$$
\begin{aligned}
& \text { def } \operatorname{sign}(x) \text { : } \\
& \text { if } x<0 \text { : } \\
& \text { return -I } \\
& \text { elif } x==0 \text { : } \\
& \text { return } 0 \\
& \text { else: } \\
& \text { return I }
\end{aligned}
$$

## Return Values

- so far we have seen only functions with one or no return
- sometimes more than one return makes sense
- Example I:

$$
\begin{gathered}
\text { def } \operatorname{sign}(x) \text { : } \\
\text { if } x<0 \text { : } \\
\text { return }-1 \\
\text { if } x==0 \text { : } \\
\text { return } 0 \\
\text { return } 1
\end{gathered}
$$

- important that all paths reach one return


## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance ( $\mathrm{x} 1, \mathrm{y} \mathrm{l}, \mathrm{x} 2, \mathrm{y} 2$ ):
print("xl yl x2 y2:", xl, yl, x2, y2)


## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

print("xl yl x2 y2:", xl, yl, x2, y2)<br>$\mathrm{dx}=\mathrm{x} 2-\mathrm{xl} \quad \#$ horizontal distance print("dx:", dx)

## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):
$\operatorname{print("xlylx2y2:",~xI,~yl,~x2,~y2)~}$
$d x=x 2-x l \quad$ \# horizontal distance
$\operatorname{print("dx:",~dx)~}$
dy = y2-yl \# vertical distance
print("dy:", dy)


## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between ( $\mathrm{x}_{1}, \mathrm{y}_{1}$ ) and ( $\mathrm{x}_{2}, \mathrm{y}_{2}$ ) def distance $(x 1, y 1, x 2, y 2)$ :

```
print("xl yl x2 y2:",xI, yl, x2, y2)
dx = x2 - xl # horizontal distance
print("dx:", dx)
dy = y2 - yl # vertical distance
print("dy:", dy)
dxs = dx**2; dys = dy**2
print("dxs dys:", dxs, dys)
```


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- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

$$
\begin{aligned}
& \operatorname{print("xlylx2y2:",xI,yl,x2,y2)} \\
& d x=x 2-x l \\
& \text { \# horizontal distance } \\
& d y=y 2-y l \\
& \text { \# vertical distance } \\
& \text { mxs dx**2; dys = dy**2 } \\
& \text { print("dxs dys:", dxs, dys) }
\end{aligned}
$$

## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

$$
\begin{aligned}
& \text { print("xl yl x2 y2:", xI, yl, x2, y2) } \\
& \begin{array}{ll}
d x=x 2-x l & \text { \# horizontal distance } \\
d y=y 2-y l & \text { \# vertical distance } \\
d x s=d x * * 2 ; ~ d y s ~=~ d y * * 2 ~
\end{array} \\
& \text { print("dxs dys:", dxs, dys) } \\
& \text { ds = dxs + dys \# square of distance } \\
& \text { print("ds:", ds) }
\end{aligned}
$$

## Incremental Development

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- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

$$
\begin{aligned}
& \begin{array}{l}
\operatorname{print}(" x \mid y l x 2 y 2: ", x I, y l, x 2, y 2) \\
d x=x 2-x l
\end{array} \quad \text { \# horizontal distance } \\
& d y=y 2-y l \\
& \text { \# vertical distance } \\
& d x s=d x^{* *} 2 ; \text { dys = } d y * * 2 \\
& d s=d x s+d y s \quad \text { \# square of distance } \\
& \operatorname{print}(" d s: ", d s)
\end{aligned}
$$

## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

> print("xl yl x2 y2:", xI, yl, x2, y2) $\begin{array}{ll}d x=x 2-x I \quad \text { \# horizontal distance } \\ d y=y 2-y l & \text { \# vertical distance } \\ d x s=d x * * 2 ; ~ d y s ~=~ d y * * 2\end{array}$ $\begin{array}{ll}d s=d x s ~+~ d y s ~ \# ~ s q u a r e ~ o f ~ d i s t a n c e ~\end{array}$ print("ds:", ds) $d=$ math.sqrt(ds) \# distance
print(d)

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- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

$$
\begin{array}{ll}
\operatorname{print}(" x \mid y l x 2 y 2: ", x I, y l, x 2, y 2) \\
d x=x 2-x l & \text { \# horizontal distance } \\
d y=y 2-y l & \text { \# vertical distance } \\
d x s=d x^{* *} 2 ; ~ d y s= & d y * * 2 \\
d s=d x s+d y s \quad & \text { \# square of distance } \\
d=\text { math.sqrt(ds) } & \text { \# distance } \\
\operatorname{print}(d)
\end{array}
$$

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- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance( $x 1, y l, x 2, y 2$ ):

$$
\begin{aligned}
& \text { print("xl yl x2 y2:", xl, yl, x2, y2) } \\
& \mathrm{dx}=\mathrm{x} 2-\mathrm{xl} \quad \# \text { horizontal distance } \\
& d y=y 2-y l \quad \# \text { vertical distance } \\
& \mathrm{dxs}=\mathrm{dx} * * 2 ; \mathrm{dys}=\mathrm{dy*}{ }^{*} 2 \\
& d s=d x s+d y s \quad \# \text { square of distance } \\
& \text { d = math.sqrt(ds) \# distance } \\
& \text { print(d) } \\
& \text { return d }
\end{aligned}
$$

## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance ( $x 1, y l, x 2, y 2$ ):

$$
\begin{array}{ll}
d x=x 2-x l & \text { \# horizontal distance } \\
d y=y 2-y l & \text { \# vertical distance } \\
d x s=d x^{* *} 2 ; d y s=d y^{* *} 2 \\
d s=d x s+d y s & \text { \# square of distance } \\
d=\text { math.sqrt(ds) } & \text { \# distance } \\
\text { return } d &
\end{array}
$$

## Incremental Development

- Idea: test code while writing it
- Example: computing the distance between $\left(x_{1}, y_{1}\right)$ and $\left(x_{2}, y_{2}\right)$ def distance ( $x 1, y l, x 2, y 2$ ):

$$
\begin{array}{lc}
d x=x 2-x l & \text { \# horizontal distance } \\
d y=y 2-y l & \# \text { vertical distance } \\
\text { return math.sqrt(dx**2 }+d y * * 2) ~ \# ~ u s e ~ P y t h a g o r a s ~
\end{array}
$$

## Incremental Development

- Idea: test code while writing it
I. start with minimal function

2. add functionality piece by piece
3. use variables for intermediate values
4. print those variables to follow your progress
5. remove unnecessary output when function is finished

## Composition

- function calls can be arguments to functions
- direct consequence of arguments being expressions
- Example: area of a circle from center and peripheral point
def area(radius):
return math.pi ${ }^{*}$ radius**2
def area_from_points(xc, yc, xp, yp):
return area(distance(xc, yc, xp, yp))


## Boolean Functions

- boolean functions $=$ functions that return True or False
- useful e.g. as <cond> in a conditional execution
- Example:
def divides $(x, y)$ :
if $y / / x^{*} x==y$ : \# remainder of integer division is 0 return True return False


## Boolean Functions

- boolean functions $=$ functions that return True or False
- useful e.g. as <cond> in a conditional execution
- Example:
def divides $(x, y)$ :

```
if y%x== 0: # remainder of integer division is 0
return False
```


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## Boolean Functions

- boolean functions $=$ functions that return True or False
- useful e.g. as <cond> in a conditional execution
- Example:
def divides $(x, y)$ :

$$
\text { return } y \% x==0
$$

def even(x):
return divides $(2, x)$

## Boolean Functions

- boolean functions $=$ functions that return True or False
- useful e.g. as <cond> in a conditional execution
- Example:
def divides $(x, y)$ : return $y \% x==0$
def even(x): return divides $(2, x)$
def odd(x):
return not divides $(2, x)$


## Boolean Functions

- boolean functions $=$ functions that return True or False
- useful e.g. as <cond> in a conditional execution
- Example:
def divides $(x, y)$ : return $y \% x==0$
def even(x): return divides $(2, x)$
def odd(x):
return not even( x )

