# Longest path-partitions in generalizations of tournaments 

Jørgen Bang-Jensen* Morten Hegner Nielsen ${ }^{\dagger}$ Anders $\mathrm{Yeo}^{\ddagger}$


#### Abstract

We consider the so-called Path Partition Conjecture for digraphs which states that for every digraph, $D$, and every choice of positive integers, $\lambda_{1}, \lambda_{2}$, such that $\lambda_{1}+\lambda_{2}$ equals the order of a longest directed path in $D$, there exists a partition of $D$ into two digraphs, $D_{1}$ and $D_{2}$, such that the order of a longest path in $D_{i}$ is at most $\lambda_{i}$, for $i=1,2$.

We prove that certain classes of digraphs, which are generalizations of tournaments, satisfy the Path Partition Conjecture and that some of the classes even satisfy the conjecture with equality.


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[^0]:    *Department of Mathematics and Computer Science, University of Southern Denmark, DK-5230 Odense, Denmark
    ${ }^{\dagger}$ Department of Mathematics and Computer Science, University of Southern Denmark, DK-5230 Odense, Denmark
    ${ }^{\ddagger}$ Department of Computer Science, Royal Holloway, University of London, Egham, Surrey, TW20 0EX, United Kingdom

