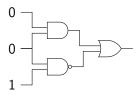
Example circuit

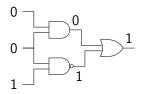


What is the output of this circuit?

- A. 0
- B. 1
- C. not defined

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Example circuit

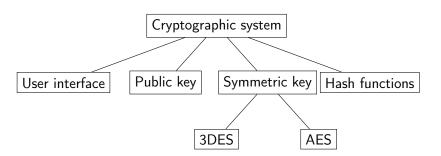


What is the output of this circuit?

B. 1

Abstraction

Example: Top-down design - cryptographic system

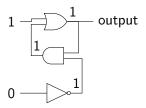


Abstraction

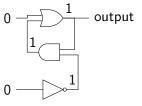
Things at higher levels need not know how things at lower levels function, only how to use them.

Interface, modularity, and modelling give:

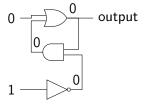
- Structure divide up work
- Independence between modules (can re-implement without changing the rest)
- Ability to analyze
- Increased innovation, productivity (don't need to re-invent the wheel)



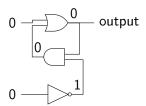
Note that this is stable. Keeps same output until temporary outside pulse. Can store a bit.



Note that this is stable.



Note that this is stable.



Note that this is stable.

But two different stable outputs are possible with input (0,0).

Flip flops can be implemented differently. Fig. 1.5, p. 36.

Abstraction: know input/output effect — don't care about implementation.

Hexadecimal Notation

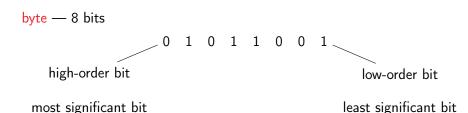
To shorten bit strings for humans:

0000	0
0001	1
0010	2
0011	3
0100	4
0101	5
0110	6
0111	7
1000	8
1001	9
1010	Α
1011	В
1100	C
1101	D
1110	Ε
1111	F

capacitors on chips??? — changes!!!

dynamic memory — need to refresh data, it dissipates non-volatile memory — doesn't lose data if power lost

Memory:



Main memory

- words = cells fixed size 8, 16, 24, 32, 64 bits
- words have addresses count from 0
- can use consecutive words if need more bits for value
- can access words in any order random access memory (RAM)
- get value of word read or load
- place value of word write or store

Main memory

- size power of 2 addresses fixed length (usually)
 - $2^{10} = 1024 \text{ bytes} = 1 \text{ kilobyte} 1 \text{ KB}$
 - ▶ 4096 bytes = 4 KB
 - $ightharpoonup 2^{20} = 1,048,576 \text{ bytes} = 1 \text{ megabyte} 1 \text{MB}$
 - $ightharpoonup 2^{30} = 1,073,741,824 \text{ bytes} = 1 \text{ gigabyte} 1\text{GB}$
- Some people use these terms for powers of 10.

Mass (secondary) storage

- disk, CD's, magnetic tapes
- ▶ flash memory (SSD solid-state disks, SD secure digital, SDHC — high capacity)
- ▶ CD \rightarrow DVD \rightarrow Blu-ray similar technologies (optical) more capacity
- on-line vs. off-line human intervention
- mechanical, slower (except flash memory)
- disk
 - often several in layers space for heads
 - read/write heads above tracks
 - cylinder tracks on top of each other

Mass (secondary) storage

- disk
 - sector arc of a track
 - files stored as physical records = sectors vs. logical records (fields, keys)
 - each contains same number of bits (512 or 1024 bits, for example)
 - within a group of tracks, each contains same number of sectors — having different groups, with fewer sectors toward middle is zone bit recording
 - locations of tracks and sectors marked magnetically during formatting

Secondary storage

- flash memory
 - cameras, cell phones, etc.
 - not mechanical
 - not dynamic
 - hard to erase or rewrite a few locations often
 - intensive writing reduces lifespan

Text

Text — characters (symbols) — standards

- ASCII appendix A
- ▶ EBCDIC
- BCD
- Unicode implemented by different character encodings
 - ▶ UTF-8 one byte for ASCII, up to 4 bytes
 - ▶ UCS-2 older, 16 bit codes
 - ▶ UTF-16 extends UCS-2, two 16-bit code units

Integers

Integers

- ▶ Base $10 234 = 2 \cdot 10^2 + 3 \cdot 10^1 + 4 \cdot 10^0 = \sum_{i=0}^{2} d_i \cdot 10^i$ Generally $d_{k-1}...d_1d_0 = \sum_{i=0}^{k-1} d_i \cdot 10^i$.
- ▶ Base 2 11101100 = $1 \cdot 2^7 + 1 \cdot 2^6 + 1 \cdot 2^5 + 0 \cdot 2^4 + 1 \cdot 2^3 + 1 \cdot 2^2 + 0 \cdot 2^1 + 0 \cdot 2^0 = \sum_{i=0}^7 b_i \cdot 2^i$ Generally $b_{k-1}...b_1b_0 = \sum_{i=0}^{k-1} b_i \cdot 2^i$.

Integers

```
Algorithm to find binary representation:
procedure convert(value):
{ Input: integer value }
{ Output: char string str }
     str := \lambda
     remainder := value mod 2
     str := remainder || str
     quotient := value div 2
     while quotient \neq 0
     begin
          remainder := quotient mod 2
          str := remainder || str
          quotient := quotient div 2
     end
     return(str)
```

Numbers

- Adding binary unsigned integers can get extra bit
- fractions: $101.011 = 5\frac{3}{8}$

two's complement, 32 bits common

0
1
2
3
4
5
6
7
-1
-2
-3
-4
-5
-6
-7
-8

- ▶ sign bit high order bit
- \rightarrow +x, -x same low order bits to first 1 complement after that
- ▶ addition same as before (2+(-5))
- subtraction How?

- ▶ sign bit high order bit
- \rightarrow +x, -x same low order bits to first 1 complement after that
- ▶ addition same as before (2+(-5))
- subtraction create negative and add
- Overflow 3 + 7 = ?

- ▶ sign bit high order bit
- \rightarrow +x, -x same low order bits to first 1 complement after that
- ▶ addition same as before (2+(-5))
- subtraction create negative and add
- ► Overflow 3 + 7 = 1010 = -6 2,147,483,646 OK without overflow in 32-bit overflow bit can be checked

Excess notation

with 4 bits, bias 8 (p.62)

7
6
5
4
3
2
1
0
-1
-2
-3
-4
-5
-6
-7
-8

How do you get value?



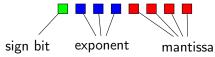
Excess notation

with 4 bits, bias 8 (p.62)

1111	7	
1110	6	
1101	5	
1100	4	
1011	3	
1010	2	
1001	1	
1000	0	
0111	-1	
0110	-2	
0101	-3	
0100	-4	
0011	-5	
0010	-6	
0001	-7	
0000	2	

subtract bias to get value

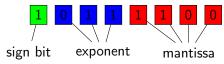
Textbook doesn't use implicit leading bit (you should)



exponent — excess notation, bias 4

```
111 3
110 2
101 1
100 0
011 -1
010 -2
001 -3
000 -4
```

Textbook doesn't use implicit leading bit (you should)



mantissa — implicit leading bit

It is really 5 bits, with the first bit 1. 1100 $\,
ightarrow\,$ 1.1100

exponent —
$$011 \rightarrow -1$$

- $(1.11 \cdot 2^{-1}) = -\frac{7}{8}$



 $1\tfrac{1}{8}$

```
mantissa — 1.001 \rightarrow 0010
exponent — 0 \rightarrow 100
result — 01000010
```

How do we represent $2\frac{5}{8}$? (Note: can't in book.)

- A. 01010101
- B. 00101010
- C. 01011101
- D. 00111010

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 $1\frac{1}{8}$

```
\begin{array}{l} \text{mantissa} \longrightarrow 1.001 \ \rightarrow \ 0010 \\ \text{exponent} \longrightarrow 0 \ \rightarrow \ 100 \\ \text{result} \longrightarrow 01000010 \end{array}
```

How do we represent $2\frac{5}{8}$? (Note: can't in book.)

[A.] 01010101

$$\begin{array}{rcl} 4\frac{5}{8} &=& 100.101\\ \text{exponent} &=& 2 &\rightarrow& 110 \end{array}$$

result — 01100010

Last bit is truncated.
$$4\frac{5}{8} = 4\frac{1}{2}$$
? $(4\frac{1}{2} + \frac{1}{8}) + \frac{1}{8} = 4\frac{1}{2}$? $4\frac{1}{2} + (\frac{1}{8} + \frac{1}{8}) = 4\frac{3}{4}$?

Truncation errors and reducing them
— numerical analysis

What about $\frac{1}{3}$ and $\frac{1}{10}$.

- A. $\frac{1}{3}$ and $\frac{1}{10}$ both require truncation.
- B. $\frac{1}{3}$ requires truncation, but not $\frac{1}{10}$
- C. $\frac{1}{10}$ requires truncation, but not $\frac{1}{3}$.
- D. Neither $\frac{1}{3}$ nor $\frac{1}{10}$ require truncation.

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What about $\frac{1}{3}$ and $\frac{1}{10}$.

[A.] $\frac{1}{3}$ and $\frac{1}{10}$ both require truncation.

Images

Bit map — scanner, video camera, etc.

- ▶ image consists of dots pixels
- ▶ 0 white; 1 black
- colors use more bits
 - ▶ red, green, blue components
 - 3 bytex per pixel
 - example: 1024 × 1024 pixels
 - megapixels (how many millions of pixels)
 - need to compress

Images

Vector techniques — fonts for printers

- scalable to arbitrary sizes
- ▶ image = lines and curves
- poorer photographic quality

Sound



Sounds waves

- sample amplitude at regular intervals 16 bits
 - -8000/sec long distance telephone
 - -more for music
- Musical Instrument Digital Interface MIDI
 - -musical synthesizers, keyboards, etc.
 - -records directions for producing sounds (instead of sounds)
 - -what instrument, how long