DM810 Computer Game Programming II: AI

> Lecture 8 Decision Making

Marco Chiarandini

Department of Mathematics & Computer Science University of Southern Denmark

Resume

State Machine Behavior Trees

- Hierarchical Pathfinding
- A* variants
- Decision Making
- Decision Trees

Outline

State Machine Behavior Trees

1. State Machine

2. Behavior Trees

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2. Behavior Trees

Finite State Machines

An FSM is an algorithm used for parsing text, eg, tokenize the input code into symbols that can be interpreted by the compiler.

- States: actions or behaviors. Chars are in exactly one of them @ any time.
- Transitions: a set of associated conditions, if they are met the char changes state
- Initial state for the first frame the state machine is run



In a decision tree, the same set of decisions is always used, and any action can be reached through the tree.

In a state machine, only transitions from the current state are considered, so not every action can be reached.

- set of possible states
- current state
- set of transitions
- at each iteration (normally each frame), the state machine's update function is called.
- checks if any transition from the current state is triggered
- the first transition that is triggered is scheduled to fire (some actions related to transition are executed)

```
class StateMachine:
 states \# list of states for the machine
 initialState
 currentState = initialState
 def update(): # checks and applies
   triggeredTransition = None
   for transition in currentState.getTransitions():
     if transition.isTriggered():
        triggeredTransition = transition
        hreak
   if triggeredTransition:
     targetState = triggeredTransition.getTargetState()
     actions = currentState.getExitAction()
     actions += triggeredTransition.getAction()
     actions += targetState.getEntryAction()
     currentState = targetState
     return actions
   else: return currentState.getAction()
```

```
class MyFSM:
enum State:
    PATROL
    DEFEND
    SLEEP
    myState # holds current state
```

```
\# transition by polling (asking for information explicitly)
def update():
 if myState == PATROL:
   if canSeePlayer(): myState = DEFEND # access to game state data
   if tired(): myState = SLEEP # access to game state data
 elif myState == DEFEND:
   if not canSeePlayer(): myState = PATROL
 elif myState == SLEEP:
   if not tired(): myState = PATROL
\# transition in an event-based approach (waiting to be told information)
def notifyNoiseHeard(volume):
 if myState == SLEEP and volume > 10:
   myState = DEFEND
def getAction():
 if myState == PATROL: return PatrolAction
 elif mvState == DEFEND: return DefendAction
 elif myState == SLEEP: return SleepAction
```

State machines implemented like this can often get large and code unclear

class	State: c	lass Transition:
def	getAction()	actions
def	getEntryAction()	<pre>def getAction(): return actions</pre>
def	getExitAction()	targetState
def	getTransitions()	<pre>def getTargetState(): return targetState</pre>
		condition
		<pre>def isTriggered(): return condition.test()</pre>

Often defined in a data file and read into the game at runtime. Do not allow to compose questions easily. Requires condition interface.

```
class AndCondition (Condition):
class Condition:
 def test()
                                     conditionA
                                     conditionB
class FloatCondition (Condition):
                                     def test():
 minValue
                                       return conditionA.test() and conditionB.test()
 maxValue
 testValue \# ptr to game data
                                 class NotCondition (Condition):
 def test():
                                     condition
   return minValue <= testValue
                                     def test(): return not condition.test()
         <= maxValue
                                   class OrCondition (Condition):
                                     conditionA
                                     conditionB
                                     def test():
                                       return conditionA.test() or conditionB.test()
```

Hierarchical State Machines

- Alarm mechanism: something that interrupts normal behavior to respond to something important.
- Representing this in a state machine leads to a doubling in the number of states.
- Instead: each alarm mechanism has its own state machine, along with the original behavior.



We can add transitions between layers of machines

In a hierarchical state machine, each state can be a complete state machine in its own right \rightsquigarrow recursive algorithm



A triggered transition may be: (i) to another state at current level, (ii) to a state higher up, or (iii) to a lower state

Example

- start in State L
- from H* transition to A update = [L-active, A-entry] current State [L, A]



 top-level state machine no valid transitions state machine L: current state [A], triggered transition 1 →→ stay at current level, transition to B, update = [A-exit, 1-actions, B-entry] top-level state machine accepts and adds L-active. current State [L, B].

- top level machine: triggered transition 4 transition to State M, update = [L-exit, 4-actions, M-entry]. current State is [M]. (state machine L still keeps State B)
- top level machine: triggered transition 5 transition to State N, update = [M-exit, 5-actions, N-entry]. current State N
- top level machine: triggered transition 6 transitions to State L, update = [N-exit, 6-actions, L-entry].
 state machine L has current state still State [L, B] → no B-entry action



- top-level state machine no transition; State [L, B] triggered transition 3.
 top-level state machine no triggers state machine L: B, transition has one level up update: B-exit
 top-level machine: transition to State N; update += [L-exit, 3-actions, N-entry]
- $\bullet \ \ {\rm State} \ \ {\rm N} \rightarrow {\rm transition} \ \ 7 \rightarrow {\rm State} \ \ {\rm M}$
- top level machine: triggered transition 2. top-level state machine: transition down ~~ updateDown. state machine L: update = C-enter top-level state machine changes from State M to State L, update += [M-exit, L-entry, 2-actions]

```
class HSMBase:
 struct UpdateResult:
  actions
 transition
 level
 def getAction(): return []
 def update():
   UpdateResult result
   result.actions = getAction()
   result transition = None
   result.level = 0
   return result
 def getStates()
class State (HSMBase):
 def getStates():
   return [this]
 def getAction()
 def getEntrvAction()
 def getExitAction()
 def getTransitions()
class Transition:
 def getLevel()
 def isTriggered()
 def getTargetState()
 def getAction()
```

```
class HierarchicalStateMachine (HSMBase):
 states \# List of states at this level
 initialState \# when no current state
 currentState = initialState
 def getStates():
   if currentState: return currentState.getStates()
   else: return []
 def update(): ...
 def updateDown(state, level): ...
class SubMachineState (State.HierarchicStateMachine):
 def getAction(): return State::getAction()
 def update(): return HierarchicalStateMachine::
       update()
 def getStates():
   if currentState:
     return [this] + currentState.getStates()
```

```
return [this]
```

else:

```
class HierarchicalStateMachine (HSMBase):
 states \# List of states at this level
 initialState \# when no current state
 currentState = initialState
 def getStates():
   if currentState: return currentState.getStates()
   else: return []
 def update():
   if not currentState:
     currentState = initialState
     return currentState.getEntryAction()
   triggeredTransition = None
   for transition in currentState.getTransitions():
     if transition.isTriggered():
       triggeredTransition = transition
       break
   if triggeredTransition:
     result = UpdateResult()
     result.actions = []
     result.transition = triggeredTransition
     result.level = triggeredTransition.getLevel()
   else:
     result = currentState.update() # rcrs.
```

```
if result.transition:
 if result.level == 0: \# Its on this level: honor it
   targetState = result.transition.getTargetState()
   result.actions += currentState.getExitAction()
   result.actions += result.transition.getAction()
   result.actions += targetState.getEntrvAction()
   currentState = targetState
   result.actions += getAction()
   result.transition = None \# so nobody else does it
 else if result.level > 0: \# it is for a higher level
   result.actions += currentState.getExitAction()
   currentState = None
   result.level -= 1
 else: # It needs to be passed down
   targetState = result.transition.getTargetState()
   targetMachine = targetState.parent
   result.actions += result.transition.getAction()
   result.actions += targetMachine.updateDown(targetState,-result.level) #
         recursion
   result.transition = None \# so nobody else does it
else: \# no transition
 result.action += getAction()
return result
```

```
def updateDown(state, level):
    if level > 0: # continue recursing
        actions = parent.updateDown(this, level-1)
    else: actions = []
    if currentState:
        actions += currentState.getExitAction()
        currentState = state # move to the new state
        actions += state.getEntryAction()
    return actions
```

Combining DT and SM

Decision trees can be used to implement more complex transitions



Outline

1. State Machine

2. Behavior Trees

Behavior Trees

- synthesis of: Hierarchical State Machines, Scheduling, Planning, and Action Execution.
- state: task composed of sub-trees
- tasks are Conditions, Actions, Composites
- tasks return true, false, error, need more time
- Actions: animation, character movement, change the internal state of the character, play audio samples, engage the player in dialog, pathfinding.
- Conditions are logical conditions
- behavior trees are coupled with a graphical user interface (GUI) to edit the trees.

- Both Conditions and Actions sit at the leaf nodes of the tree. Branches are made up of Composite nodes.
- Composites: two main types: Selector and Sequence
- Both run each of their child behaviors in turn and decide whether to continue through its children or to stop according to the returned value.
- Selector returns immediately with a success when one of its children succeeds. As long as children are failing, it keeps on trying. If no children left, returns failure. (used to choose the first of a set of possible actions that is successful) Eg: a character wanting to reach safety.
- Sequence returns immediately with a failure when one of its children fails. As long as children are succeeding, it keeps on trying. If no children left, returns success. (series of tasks that need to be undertaken)



Developing Behaviour Trees

• get something very simple to work initially



Condition task in a Sequence acts like an IF-statement. If the Sequence is placed within a Selector, then it acts like an IF-ELSE-statement



- behaviour trees implement a sort of reactive planning. Selectors allow the character to try things, and fall back to other behaviors if they fail. (look ahead only via actions)
- depth-first search
- could be written as state machines or decision trees but more complicated

class Task: children def run() # true/false

class Selector (Task): def run(): for c in children: if c.run(): return True return False

```
class Sequence (Task):
  def run():
    for c in children:
        if not c.run():
            return False
        return True
```

```
class EnemyNear (Task):
    def run():
        if distanceToEnemy < 10:
        return True
        return False
```

```
class PlayAnimation (Task):
    animation_id
    speed
    def Attack(animation_id, loop=False,
        speed=1.0):
    this.animation = animation
    this.speed = speed
    def run():
        if animationEngine.ready(): #
            resource checking
            animationEngine.play(animation,
            speed)
        return True
        return False
```

Non-Deterministic Composite Tasks

- In some cases, always trying the same things in the same order can lead to predictable Als.
- Selectors: eg, if altrnative ways to enter the door, no relevant the order
- Sequences: eg, collect components, no relevant the order "partial-order" constraints in the AI literature. Some
- parts may be strictly ordered, and others can be processed in any order.

Shuffle

by Richard Durstenfeld in 1964 in *Communications of the ACM*, volume 7, issue 7, as "Algorithm 235: Random permutation", and by Donald E. Knuth in volume 2 of his book *The Art of Computer Programming* as "Algorithm P" but originally by Fisher and Yates.

```
def shuffle(original):
    list = original.copy()
    n = list.length
    while n > 1:
        k = random.integer_less_than(n)
        n--;
        tmp = list[k], list[k] = list[n], list[n] = tmp
    return list
```

