# DM825 (5 ECTS - 4th Quarter) Introduction to Machine Learning Introduktion til maskinlœring 

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## Machine Learning

A computer program is said to learn from experience E with respect to some class of tasks $T$ and performance measure $P$, if its performance at tasks in $T$, as measured by $P$, improves with experience E .

Tom M. Mitchell (1997) Machine Learning p. 2

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Core objective of a learner: generalize from its experience.

Training examples from experience come from unknown probability distribution. The learner has to extract something to produce a useful answer in new cases.

## Contents

- Classification and Regression via Linear Models
- Neural Networks
- Graphical Models

Bayesian Networks
Hidden Markov Models

- Mixture Models and Expectation Maximization
- Support Vector Machines
- Assessment and Selection
- Unsupervised Learning
(Association rules, cluster analysis, principal components)


## Perceptron algorithm






## Multilayered Neural Networks



## Applications

Neural Network - 10 Units, Weight Decay=0.02


## Applications

Handwritten digit recognition


Humans are at 0.2\%-2.5 \% error 400-300-10 unit MLP $=1.6 \%$ error LeNet: 768-192-30-10 unit MLP $=0.9 \%$ error

## Graphical Models

Allow to represent our prior knoweldge and to use a general suite of algorithms to make inference and to improve our models for a specific application domain

Complex systems involve uncertainty => Probability framework
interralated aspects of the system are modelled as random variables

## Example: Medical diagnosis

- two deases: Fly and Hayfever
- they are not mutually exclusive
- Season might be correlated with them
- symptoms such as Congestion and Muscle Pain

4 random variables:
Flu = \{true,false\}; Hayfever = \{true, false $\}$
Season $=$ \{fall, winter, spring, summer $\} 2 \times 2 \times 4 \times 2 \times 2=64$
Congestion = \{true, false $\}$ MusclePain = \{true, false $\}$ possible prob. values for joint distribution

P(Flu=true \| Season=fall, Congestion=true, MusclePain=false)
If the number of variables grows the problem becomes intractable

## Example: continued

Graphical models use graph-based representation to encode independencies


F and H independent given Season
C and S independent given F and H
$M$ and $\mathrm{H}, \mathrm{C}$ independent given F
$M$ and $C$ independent gien $F$
We thus only need to define
$3+4+4+4+2=17$ parameteers

$$
P(S, F, H, C, M)=P(S) P(F \mid S) P(H \mid S) P(C \mid F, H) P(M \mid F)
$$

## Bayesian Learning

What can we do from here?

- Inference: Complexity issues $0\left(2^{\wedge} n\right)$
- Learning (parameters and structure)


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Thumbtack Experiment

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Flip the thumbtack in the air and observe the number of times it lands with head and tail

We wish to learn how much the probability deviates from 0.5

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Suppose we observe 3 heads in 10 tosses.

- With no prior knowledge we would set $p=3 / 10=0.33$
- With a prior of 10 heads over 20 tosses we would set $p=(3+10) /$ $(10+20)=13 / 30=0.43$
- However if we obtain more data the effect diminshes: $(300+1) / 1000+2=0.3$ and $(300+10) /(1000+20)=0.3$


## Course Organization

## Prerequisites

$\checkmark$ MM50I Calculus I
$\checkmark$ MM505 Linear Algebra
$\checkmark$ Basics of Probability Calculus

## Final Assessment (5 ECTS)

- Mandatory assignments, pass/fail, internal evaluation by the teacher. Include programming work in R
- 3 hours written exam, Danish 7 mark scale
- External examiner


## Course Material

- Text book
- C.M. Bishop. Pattern recognition and Machine Learning Springer, 2006
- Slides
- Source code and data sets
- www.imada.sdu.dk/~marco/DM825


